

The **Losing Trick** count, or LTC, was first introduced by C. Courtenay in 1935 as a better way to assess the **trick-taking** potential of two *unbalanced* hands than M. Work's point count could.

To be used **only once an 8 + card Fit has been established**, it consisted of counting losing cards or "losers" in the first 3 cards of every suit as such :
 $x \times x = 3$ losers, $A \times x = 2$ losers, $K \times x = 2$ losers, $Q \times x = 2$ losers.

To determine the number of tricks that can be "expected", you deduct the total number of losers held by both partners from 24 (maximum number of losers between two hands) i.e. $7 + 7 = 14$, deducted from $24 = 10$ tricks.

Even though this count did, in many cases, enable reaching games better than the Goren point count could, this evaluation method was clearly non-sensical and had *no statistical validity* as it gave the Ace, the King and the Queen the same value of 1 trick. Not surprisingly, it was generally not adopted *as is*, without modifications.

40 years later, in 1975, the *Blue Team* Italian champions, B. Garozzo and G. Belladonna, revisited it and presented their "modified" LTC version as part of their super-precision bidding system. J. Koelman further refined it with what is called the "New" LTC which established the *statistically correct* values of the Ace as $1 \frac{1}{2}$ tricks, the King as 1 trick and the Queen as half a trick. These "New" LTC values are : $A \times = 1$ loser (L), $A \times x = 1 \frac{1}{2}$ L, $A K \times = \frac{1}{2}$ L, $A Q \times = 1$ L, $A Q J = \frac{1}{2}$ L, $K \times x = 2$ L, $K J 10$ or $K Q \times = 1 \frac{1}{2}$ L, $Q \times x = 2 \frac{1}{2}$ L, $Q J \times = 2$ L.

Furthermore, the "New" LTC counts the 4th card of a suit as a **half-loser**, which increases the *maximum* number of losers to 25, vs 24. It also deducts losers for *distribution*, only for support hands with 4 trumps, as follows : $\frac{1}{2}$ a loser for a doubleton, 1 L for a singleton, $1 \frac{1}{2}$ L for a void.

Examples : On a $1 \spadesuit$ opening by partner, you hold :

\spadesuit K Q x	\heartsuit K J 10	\diamondsuit x x x	\clubsuit x x x x	= $9 \frac{1}{2}$ L	Bid : $2 \spadesuit$
\spadesuit K x x x	\heartsuit x x	\diamondsuit K J x	\clubsuit Q J x x	= 8 L	Bid : $3 \spadesuit$
\spadesuit K x x	\heartsuit A Q x x	\diamondsuit K Q J x	\clubsuit x x	= 7 L	Bid : $4 \spadesuit$

These modifications did represent an improvement over LTC and some world-class and advanced players have since adopted the "New" LTC. However, this New LTC still does not provide an accurate assessment of a hand's value. The following hand clearly illustrates this :

\spadesuit A K Q J x x x \heartsuit x x x \diamondsuit x x \clubsuit x

This hand will make 7 tricks (96 % of the time) in spades, which equate to 19 pts (27 pts for 10 tricks = 2.7 pts per trick \times 7 tricks = 19 pts).

But the LTC only accounts for 6 tricks (6 losers from 12 losers = 6 tricks), And the NLTC for $6 \frac{1}{2}$ tricks (6 losers from $12 \frac{1}{2}$ losers = $6 \frac{1}{2}$ tricks).

The **Optimal** point count gives this hand $19 \frac{1}{2}$ pts (4 L pts + 3 S pts for 4 honors in the long suit + 2 D pts for its singleton) and is the *only* point count accurately assessing its appropriate value.

Let's now outline some specific deficiencies of the LTC or NLTC.

First, it fails to reflect **the full value of long suits** of 5 to 6 cards, or more. Illustration : the NLTC counts the following suits as having $3\frac{1}{2}$ L each which, out of a maximum of $6\frac{1}{2}$ losers, gives them only 3 winners each, when the first suit has $4\frac{1}{2}$ winners and the second has 6 winners :

♠ A Q 10 x x opposite ♠ K x x (13 $\frac{1}{2}$ pts in **Optimal** pt count)
 ♠ A Q 10 x x x opposite ♠ K x x (15 $\frac{1}{2}$ pts in **Optimal** pt count)

Of course, the 5th and 6th cards are counted as one or two *fewer* losers in *other* suits but that is still **short** 1 trick – the 4th card is *unaccounted* for ! And this serious discrepancy of one + trick "doubles-up" with 5 - 5 two-suiter hands, like the one below :

♠ A Q 10 x x	♠ K x x
♥ x x	♥ J 10 x
♦ A Q 10 x x	♦ K x x
♣ x	♣ x x x x

LTC count : 5 L + 10 L = 15 L = 9 tricks
 NLTC count : 6 L + 10 $\frac{1}{2}$ L = 16 $\frac{1}{2}$ L = 8 $\frac{1}{2}$ tricks

The 4 ♠ game will be missed. That's because both counts count 4 or 4 $\frac{1}{2}$ losers in clubs, when, obviously, there is only one.

While in **Optimal** point count, these two hands have 28 HLDf pts and will be bid to 4 ♠.

Or this one :

♠ A Q 10 x x	♠ K x x
♥ K 10 x	♥ Q J x x
♦ A Q x x x	♦ K x x
♣ ---	♣ x x x

LTC count : 4 L + 9 L = 13 L = 11 tricks
 NLTC count : 5 L + 9 $\frac{1}{2}$ L = 14 $\frac{1}{2}$ L = 10 $\frac{1}{2}$ tricks

The 6 ♠ slam will be missed. That's because both counts count 3 losers in clubs, when, obviously, there are none.

While, in **Optimal** point count, these two hands have 35 $\frac{1}{2}$ HLDf pts and will be bid to 6 ♠.

Second, it does **not** account for the value of **Fits** and honor "**mesh**" in "fitted" suits. As a result, the following hands will be **undervalued** :

♠ x x x	♠ A x x
♥ A x	♥ x x
♦ K x x	♦ A Q J x x
♣ A Q x x x	♣ K x x

NLTC count : 7 $\frac{1}{2}$ L + 6 $\frac{1}{2}$ L = 14 L = 11 tricks.

A **slam** will be missed – as it would with **any** point count, by **any** bidding system. Only the **Optimal** point count gives these two hands **36** HLF pts for 6 NT (9 pts for 2 Aces, 1 point for each 5-card suit + 1 pt for 3 honors in a 5-card suit, + 4 Fit pts in clubs and diamonds).

Furthermore, the NLTC : 1) does **not** value the **J 10 x** combination by itself, 2) it gives **no *distributional*** value to hands with **less** than 4-card trump support, and 3) it **ignores** the value of 8-card Fits. 3 major flaws it cannot recover from. Thus, the following hands will be mistreated :

♠ A Q x x x x	♠ K x x
♥ x	♥ A J 10 x x
♦ Q x x	♦ x x x
♣ A x x	♣ x x

NLTC count : 6 ½ L + 8 ½ L = 15 L = 10 tricks.

4 ♠, which will fail, will be bid (1 ♠ 3 ♠ 4 ♠).

The NLTC counts 3 ½ L in clubs, for 3 tricks, where there are no more than two tricks (the Ace and one ruff).

Instead of : 2 ♠ (6 ♠, 15/17 HLD pts) 2 NT ?
 3 ♥ (♥ singleton) 3 ♠ (final - wasted ♥ honor pts)

Another example :

♠ A Q x x x x	♠ K x x
♥ x x x	♥ x
♦ x	♦ J 10 x x x
♣ A Q x	♣ J 10 x x

NLTC count : 6 ½ L + 10 L = 16 ½ L = 8 ½ tricks.

4 ♠, which is *odds-on*, will be missed (1 ♠ 2 ♠ Pass).

NLTC counts 4 ½ L in clubs, for 2 tricks, where there are 3 ½ tricks.

In **Optimal** point count, these two hands add up to 16 HLD pts (no K) + 11 HDF pts = 27 pts, and will be bid as follows :

2 ♠ (6 ♠, 15/17 HLD pts) 3 ♥ (♠ Fit, ♥ singleton)
 4 ♠

Or this deal :

♠ A Q x x x	♠ J 10 x
♥ A x	♥ x
♦ J 10 x x	♦ A Q x x x
♣ x x	♣ x x x x

NLTC count : 8 L + 9 L = 17 L = 8 tricks.

4 ♠, which is *odds-on*, will be missed (1 ♠ 2 ♠ Pass).

In the above case, both counts, the "modified" LTC and the NLTC, count **4** losers in hearts when there is clearly **only one** and **2 ½** losers in diamonds when there is clearly **none**.

In **Optimal** point count, these two hands, with K Q x x in clubs, would add up to 20 ½ HLD pts (no K) + 14 ½ HDF pts + 3 pts for "*no wasted honor pts*" in diamonds = **38** pts! 6 ♠ will **not** be missed !

With the advent of the **Optimal** point count, there is no longer any reason to resort to the flawed LTC or NLTC for hand evaluation – and players who previously used either count, counting in half-*tricks*, will have no problem counting in half-*points*.

Note : the **Optimal** Hand Evaluation book includes **72** deals with 8 + card Major suit Fits (including 13 slam hands with minor suit Fits). Interestingly, the "New" LTC has it **wrong** in 31 of these 72 deals, i.e. **47 %** of the time !
