

South plays the hand in 3 NT. There are 9 tricks off the top. But can you make 10, that is the Double Dummy problem for a top? West leads the $10 \blacklozenge$.

1. South must not take this trick. He must sacrifice a diamond at trick 1. So he plays low from both hands.

2. West switches to the J. South wins with North's A., and then wins the next trick with dummy's J. He then plays the 3 from dummy at trick 4.

3. (a) If East discards a spade, South plays on spades, winning the trick with $Q \blacklozenge$

(b) He then plays the A and King of spades from dummy.

(c) Declarers returns to his hand with $A \blacklozenge$, overtaking dummy's $K \blacklozenge$.

(d) South then loses a spade to East and wins the next trick with the $A \forall$.

(e) Declarer then loses a further spade to East's Q \bigstar . South's hand is know high with the last two spades, K \checkmark .

4. (a) At trick 4, when declarer plays the $3 \blacklozenge$, if East on the other hand discards a heart, South wins with the A \blacklozenge , and plays on hearts.

(b) He plays the A and King of hearts from hand.

(c) At the next trick declarer plays a diamond and wins in dummy with the King, overtaking his $Q \blacklozenge$.

(d) Declarer plays a small heart from dummy which East wins.

(e) East returns the $Q \blacklozenge$, and South wins this with North's $A \blacklozenge$.

(f) Declarer loses another heart from dummy.

(g) Declarer wins the next spade with North's K \clubsuit and wins the last two tricks with dummy's 8 and 6 hearts.

In each case declarer makes 10 tricks - 1 club, 3 diamonds, and either 2 hearts and 4 spades, or 2 spades and four hearts, with East/West winning 3 tricks - one club and either 2 hearts or two spades. Well played South!

By the way there is an even better contract played by South. Have you spotted it?